

Bell Ringer:

If $f(x) = |x^3 - 3|$, then $f(-1)$ is equivalent to

- 1) 0
- 2) 2
- 3) -2
- 4) 4

$-1 \cdot -1 \cdot -1 = -1$
 $|-4| = 4$

$-1 - 3 = -4$

If $f(x) = \frac{x}{x^2 - 16}$, what is the value of $f(-10)$?

1) ~~$\frac{5}{2}$~~
 2) $\frac{5}{42}$
 3) $\frac{5}{58}$
 4) ~~$\frac{2}{18}$~~

$\frac{-10}{-16}$
 $\frac{-10}{84}$

**FUNCTION NOTATION
COMMON CORE ALGEBRA I**

R

(a) $f(x) = 3x + 7$

I $f(2) = 3(2) + 7$

$f(-3) = 13$

$3(-3) + 7$

-2

R

(b) $g(x) = \frac{x-6}{2}$

$g(20) =$

$\frac{20-6}{2}$

$g(0) = \frac{2}{2}$

$\frac{0-6}{2}$

$\frac{2}{2}$

-3

R

(c) $h(x) = \sqrt{2x+1}$

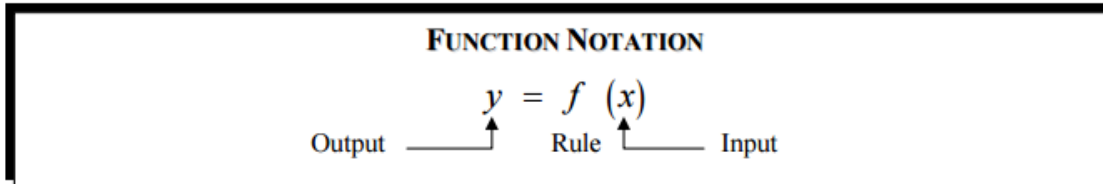
$h(4) = \sqrt{2(4)+1}$

$h(0) = \frac{3}{\sqrt{2(0)+1}}$

$\frac{3}{1}$

1

Function notation can be very, very confusing because it really looks like multiplication due to the parentheses. But, there is no multiplication involved. The notation serves two purposes: (1) to tell us what the rule is and (2) to specify an output for a given input.



Exercise #2: Given the function $f(x) = \frac{x}{3} + 7$ do the following.

(a) Explain what the function rule does to convert the input into an output.

$\div 3$, add 7 to that quotient

(b) Evaluate $f(6)$ and $f(-9)$.

$$\frac{6}{3} + 7 = 2 + 7 = 9$$

$$\frac{-9}{3} + 7 = -3 + 7 = 4$$

(c) Find the input for which $f(x) = 13$. Show the work that leads to your answer.

$$\frac{x}{3} + 7 = 13 \rightarrow$$

$$\frac{x}{3} = 6$$

$$3 \cdot \frac{x}{3} = 6 \cdot 3$$

$$x = 18$$

(d) If $g(x) = 2f(x) - 1$ then what is $g(6)$? Show the work that leads to your answer.

$$2f(6) - 1$$

$$2(9) - 1$$

$$18 - 1 = 17$$

Recall that function rules commonly come in one of three forms: (1) equations (as in Exercise #1), (2) graphs, and (3) tables. The next few exercises will illustrate function notation with these three forms.

Exercise #3: Boiling water at 212 degrees Fahrenheit is left in a room that is at 65 degrees Fahrenheit and begins to cool. Temperature readings are taken each hour and are given in the table below. In this scenario, the temperature, T , is a function of the number of hours, h .

h (hours)	0	1	2	3	4	5	6	7	8
$T(h)$ ($^{\circ}F$)	212	141	104	85	76	70	68	66	65

(a) Evaluate $T(2)$ and $T(6)$.

$$T(2) = 104$$

$$T(6) = 68$$

(b) For what value of h is $T(h) = 76$?

$$4$$

(c) Between what two consecutive hours will $T(h) = 100$? Explain how you arrived at your answer.

$$2 + 3$$

Exercise #3: The function $y = f(x)$ is defined by the graph shown below. It is known as **piecewise linear** because it is made up of **straight line segments**. Answer the following questions based on this graph.

(a) Evaluate each of the following:

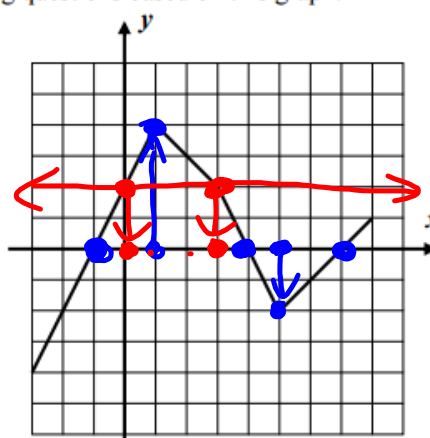
$$f(1) = 4 \qquad f(5) = -2$$

$$f(-3) = -4 \qquad f(0) = 2$$

(b) Solve each of the following for all values of the input, x , that make them true.

$$f(x) = 0 \qquad f(x) = 2$$

$$x = -1, 4, 7 \qquad x = 0, 3$$



(c) What is the largest output achieved by the function? At what x -value is it hit?

$$4 \qquad 1$$

FLUENCY

1. Given the function f defined by the formula $f(x) = 2x + 1$ find the following:

(a) $f(4)$
 $2(4) + 1$
 9

(b) $f(-5)$
 $2(-5) + 1$
 -9

(c) $f(0)$
 $2(0) + 1$
 1

(d) $f\left(\frac{1}{2}\right)$
 $2\left(\frac{1}{2}\right) + 1$
 2

2. Given the function g defined by the formula $g(x) = \frac{x-5}{2}$ find the following:

(a) $g(9)$
 $\frac{9-5}{2}$
 $\frac{4}{2}$
 2

(b) $g(0)$
 $\frac{0-5}{2}$
 $\frac{-5}{2}$

(c) $g(3)$
 $\frac{3-5}{2}$
 $\frac{-2}{2}$
 -1

(d) $g(17)$
 $\frac{17-5}{2}$
 $\frac{12}{2}$
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